	All logicians are millionaires.		all L is M
	Gensler is a logician.		g is L
•••	Gensler is a millionaire.	•••	g is M

Syllogistic logic (our first system) deals with such arguments; it uses capital and small letters and five words ("all," "no," "some," "is," and "not").

Wffs are sequences having any of these eight forms:

all A is Bx is Ano A is Bx is not Asome A is Bx is ysome A is not Bx is not y

Use capital letters for *general terms* (terms that *describe* or put in a *category*):

- B = a cute baby
- C = charming
- D = drives a Ford

Use small letters for *singular terms* (terms that pick out a *specific* person or thing):

- b = the world's cutest baby
- c = this child
- w = William Gensler





A *syllogism* is a vertical sequence of one or more wffs in which each letter occurs twice and the letters "form a chain" (each wff has at least one letter in common with the wff just below it, if there is one, and the first wff has at least one letter in common with the last wff).

no P is B some C is B ∴ some C is not P no P is B some C is not B ∴ some C is P A letter is *distributed* in a wff if it occurs just after "all" or anywhere after "no" or "not."

all <u>A</u> is B	x is A
no <u>A</u> is <u>B</u>	x is not <u>A</u>
some A is B	x is y
some A is not \underline{B}	x is not <u>y</u>

Star test: Star premise letters that are distributed and conclusion letters that aren't distributed. Then the syllogism is VALID if and only if every capital letter is starred exactly once and there is exactly one star on the right-hand side.

- no \underline{P}^* is \underline{B}^* Valid some C is B
- \therefore some C* is not <u>P</u>

no \underline{P}^* is \underline{B}^* Invalid some C is not \underline{B}^* ∴ some C* is P*

LogiCola B (H & S)

Pages 8–10

English arguments: First use intuition.

- 1. All segregation laws degrade human personality.
 - All laws that degrade human personality are unjust.
- : All segregation laws are unjust.

Then translate into logic and work it out.

Idioms are hard!

Every / each / any / whoever $\dots = all \dots$

A's are B's = all A is B

Only men are NFL football players \neq all M is F = all F is M

No one is an NFL fb player unless they are a man \neq no F is M = all F is M

Pages 15-17

LogiCola A (HM & HT)

"all A is B" and "some A is not B" are contradictories:



Not all of the pills are white = Some of the pills aren't white

"some A is B" and "no A is B" are contradictories:



It's false that some pills are black = No pills are black

LogiCola A (HM & HT)

Pages 15–17

Idiom flashcards



LogiCola A (HM & HT)

Pages 15-17

Deriving conclusions

(1) Translate the
premises, star, see(2) Figure out
the conclusion(3) Figure out
the conclusion(4) Add the
conclusion, do
the star test.

If both conclusion letters are capitals: use an "all" or "no" conclusion if every premise starts with "all" or "no"; otherwise use a "some" conclusion. *If at least one conclusion letter is small*: the conclusion will have a small letter, "is" or "is not," and then another letter.

Always derive a negative conclusion if any premise has "no" or "not."

Examples:

all, all ∴ all all, no ∴ no all, some ∴ some all, some is not ∴ some is not no, some ∴ some is not x is A, x is B ∴ some A is B

LogiCola B (D)

Pages 18-20



When "×" could go in either of two unshaded areas, the argument is invalid; to show this, put "×" in an area that doesn't draw the conclusion.

Idiomatic arguments

1. Identify the conclusion.

These often indicate premises: Because, for, since, after all ... I assume that, as we know ... For these reasons ... These often indicate conclusions:

Hence, thus, so, therefore ...

- It must be, it can't be ... This proves (or shows) that ...
- 2. Translate into logic. Use wffs and make sure each letter occurs twice. Add implicit premises if needed.
- 3. Test for validity.